

Summary Electricity
Summary Electric Field

(Compare with Gravity Field)

<i>Unit</i>	<i>Gravity Field</i>	<i>Concept</i>	<i>Electric Field</i>	A. UNIT
	On mass m	Force	On charge q	Unit of q is C
(N)	$F=mg$		$F=qE$	(N)
	Force per unit mass	Field Strength	Force per unit charge	
(Nkg^{-1})	$g=F/m$		$E=F/q$	(NC^{-1})
Field Strength generally varies throughout the field, e.g. according to the inverse square law in a radial field (global gravity field)				
		Work = Force x Distance		
	$W=mgd$		$W=qEd$	(J)
	Gravity Potential is Work per unit mass	Potential	Electric Potential is Work per unit charge $V_E=Work/q$	
	$V_G=gd$	Potential = Field Strength x Distance	$V_E=Ed$	(V) or (JC^{-1})
In a Uniform Field the field strength is constant. Hence Potential and distance are proportional.				
		Field Strength in a Uniform Field		
	$g=V_G/d$		$E=V_E/d$	(Vm^{-1})
Note that the units for Electric Field Strength NC^{-1} and Vm^{-1} are equivalent				

Exam formula sheet:

$$\Delta E=Vq$$

$$V=Ed$$

$$\text{Work} = \text{Potential} \times \text{Charge}$$

$$\text{Potential} = \text{Field Strength} \times \text{distance}$$

TV Tube (“Electron gun”)

Hot filament emits electrons (thermionic emission). Anode has a large + voltage. The electrons are accelerated in the E-field between – filament and + anode. Those who pass through hole in anode form the electron beam.

Milikan’s Experiment

Equilibrium between weight force of charged particle (down) and electric force in E-field (up).

$$mg = F = qE \text{ thus } q = \frac{mg}{E}. \text{ With } E = \frac{V}{d} \text{ this gives } q = \frac{mgd}{V}; q \text{ is charge of electron}$$

Capacitors store charge

$Q = CV$. Q is charge (C), V is voltage across terminals (V), C is capacitance (Farad).

Capacitance usually in $\mu F \rightarrow 10^{-6}$ or $nF \rightarrow 10^{-9}$ or $pF \rightarrow 10^{-12}$

Geometry of capacitance $C = \frac{r\epsilon_0 A}{d}$

r is dielectric constant

ϵ_0 is vacuum permittivity

A is common area of plates

d is distance between plates.

Charging / Discharging a capacitor (see separate handout)

Charging: Current decays exponentially (from I_0 to zero): $I_n = \frac{1}{e^n} I_0$

Voltage grows exponentially (from zero to V_{cap}): $V_n = (1 - \frac{1}{e^n}) V_{cap}$

Discharging: Current decays exponentially (from $-I_0$ to zero): $I_n = (1 - \frac{1}{e^n}) I_0$

Voltage decays exponentially (from V_{cap} to zero): $V_n = \frac{1}{e^n} V_{cap}$

time is calculated from: $t = n\tau$ where τ is time constant: $\tau = RC$

Energy stored in capacitor: $E_p = \frac{1}{2} CV^2 = \frac{1}{2} QV$